

# USE OF SHORT-WAVELENGTH TECHNIQUE IN SMM AND MM RANGE FOR DIAGNOSTICS OF NONEQUILIBRIUM PLASMACHEMICAL UHF DISCHARGE AT MODERATE PRESSURE IN CO<sub>2</sub>

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## INTRODUCTION

Dissociation of carbon dioxide up to CO and O<sub>2</sub> with the use of CO for producing of H<sub>2</sub> /1/ is one of the most important plasmachemical processes. Energetic efficiency of this process in the case of slightly ionized plasma essentially depends on the mechanism of dissociation of CO<sub>2</sub>; the maximum energetic efficiency in the nonequilibrium plasma ( $T_e > T_v > T_o$ , where  $T_e$ ,  $T_v$ ,  $T_o$  - electron, vibrational and translational gas temperatures, correspondingly), is achieved by dissociation of CO<sub>2</sub> via vibrational excitation of molecules in the ground electron state /2/. The efficiency of this mechanism depends on the degree of the plasma ionization, determining the pumping rate of the vibrational degrees of freedom of molecules and parameter  $E_{eff}/N$  ( $E_{eff}$  is effective electric field in plasma,  $N$  - gas density), determining the energetic balance of electronic energy in plasma. This data can be received by probing the plasma with the transverse electromagnetic waves.

## EXPERIMENTAL

This work is devoted to investigation of electron component parameters of stationary UHF plasma discharge at moderate pressures ( $p = 50 \pm 250$  torr) in CO<sub>2</sub>. Fig.1 presents the scheme of reactor chamber. We have used the UHF source (c.w. magnetron) which excites the TE<sub>10</sub>-mode in a rectangular waveguide (90 x 45 mm) (frequency of oscillations - 2,4 GHz; radiated power 2,5 kWt). Discharge was created in a quartz tube (8) (28 mm i.d.) transversing the waveguide (1) perpendicularly to its wide walls. Gas entered the reactor through the aperture (5), that provides the tangential movement of stream around the reactor axis to stabilize the discharge. For side-on plasma probing rectangular holes (20 x 40 mm) were cut in the narrow walls of waveguide. They were closed with one-dimensional wire grids (2) (period 0,2 mm) to prevent the UHF field leakage. Experiments were conducted at gas pressures  $p = 50 \pm 250$  torr and specific plasma energy  $q_v = W_p/Q = 3 \pm 5$  J/cm<sup>3</sup> (here  $W_p$  is the power absorbed in plasma,  $Q$  is the expenditure of CO<sub>2</sub>).

Diagnostic installation (Fig.2) consists of two identical homodyne Mach-Zehnder interferometers with a backward-wave tube (BWT) as a source. One of them formed by polarizers  $P_2, P_4$  and mirrors  $M_1, M_2$  (called below as N1) was used for plasma probing; the other (number 2) consisting of polarizers  $P_2, P_3$  and mirrors  $M_1, M_3$  served as BWT frequency discriminator of the automatic frequency control (a.f.c.) system. Quasy-optical beam of radiation formed by lens  $L_1$  and polarised by  $P_1$  in a horizontal plane entered the interferometer through the polarizer  $P_2$ . One-dimensional grids  $P_5, P_6$  were used to split the beams so that plasma was probed with a horizontally polarised wave, focused by lenses (?) (see Fig.1). This wave easily penetrates through the shield grids of reactor chamber. The polarizers  $P_6$  and  $P_7$  used as mixers of the orthogonally polarised waves superposed with  $P_4, P_3$  and detectors  $D_1, D_2$  (n-InSb at 4,2 K) are placed at the outputs of interferometers. The wavelength of the BWT radiation was modulated by sawtooth law with a frequency of 30 kHz. Amplitude of modulation is chosen so that wave phase shift is transferred onto the first harmonic of modulation frequency. The signal of first harmonic was selectively amplified and used for phase-amplitude analysis with phase-voltage converter and linear detector. Phase and amplitude of the beam transmitted through plasma were recorded as functions of discharge displacement across the probing beam. The width of the beam was defined by relative apertures of lenses  $L_2$  and  $L_3$ ; it was about 3,5 mm at  $\lambda = 1,7$  mm ( $\lambda$  is the wavelength of probing radiation).

### PHASE STABILIZATION

To analyse the phase stability of measuring interferometer in the absence of plasma we consider the installation as a chain of converters, characterised by the definite transference coefficients. BWT is a converter of collector voltage  $U$  into radiation frequency  $\omega$ . Interferometer N1 with a detector  $D_1$  transform the frequency  $\omega$  into the phase shift of the beat signal first harmonic  $\varphi_1 = \ell_1 \omega / c$  in respect with the modulating signal, where  $\ell_1 = 250$  cm is the difference between the optical lengths of channels,  $C$  is light speed. Phase instability

$$\Delta \varphi_1 = \frac{\ell_1 \Delta \omega}{c} + \frac{\omega \Delta \ell_1}{c} \quad (1)$$

is determined by the frequency drift  $\Delta \omega$  of BWT radiation, caused by d.c. supply voltage  $U$  fluctuations, and interferometer base instability  $\Delta \ell_1$  due to the external conditions changes (atmospheric pressure, humidity etc), resulting in fluctuations of air permittivity. Frequency of BWT radiation is stabilized by means of feedback circuit, including reference interferometer N2 with the base  $\ell_2$ , detector  $D_2$ , phase-voltage converter (with the transmittance  $K_{\varphi_2}$ ) and coupling unit (with gain  $K_c$ ), forming the feedback signal to control BWT collector voltage (Fig.2). Frequency instability is equal to

$$\Delta \omega = K_{\omega} \Delta U = \frac{K_{\omega} \Delta U_{0 \text{ ref}}}{1 + K} - \frac{K_{\omega} K_{\varphi_2} K_c \frac{\omega}{c} \Delta \ell_2}{1 + K}, \quad (2)$$

where  $\Delta \ell_2$  is the reference interferometer base instability

due to the external conditions changes,  $\Delta U_{0eqv}$  are all internal a.f.c. system instabilities,  $K\omega$  - differential transmittance of BWT,  $K = K_{\omega} K_{\nu} K_c \ell_2 / c$  - the feedback loop gain. Substituting  $\Delta\omega$  into (1), we obtain for  $K = 400 \gg 1$ :

$$\Delta\varphi_1 = \frac{\ell_1}{\ell_2} \frac{\Delta U_{0eqv}}{K_c K_{\varphi_2}} + \frac{\omega \ell_1}{c} \left( \frac{\Delta \ell_1}{\ell_1} - \frac{\Delta \ell_2}{\ell_2} \right). \quad (3)$$

Phase instability is determined by the differential drift of interferometers N1 and N2. Thus, if  $\ell_1 \approx \ell_2$  then the interferometer drifts are partially compensated because the external condition changes equally influence both interferometers.

Influence of voltage instabilities  $\Delta U_{0eqv}$  can be substantially eliminated by means of a balance method, i.e. by measuring the interferometer phase shift difference  $\varphi_1 - \varphi_2$  (Fig.1, switch in position 2). In this case phase drift  $\Delta(\varphi_1 - \varphi_2) = \Delta\varphi_1 - \Delta\varphi_2$  where  $\Delta\varphi_2 = \Delta U_{0eqv} / K_c K_{\varphi_2}$  - the reference interferometer phase instability, which is equal to

$$\Delta\varphi_1 - \Delta\varphi_2 = \frac{\ell_1 - \ell_2}{\ell_2} \frac{\Delta U_{0eqv}}{K_c K_{\varphi_2}} + \frac{\omega \ell_1}{c} \left( \frac{\Delta \ell_1}{\ell_1} - \frac{\Delta \ell_2}{\ell_2} \right). \quad (4)$$

The phase influence of  $\Delta U_{0eqv}$  is vanishing for  $\ell_1 \approx \ell_2$ . The use of the balance method of phase measurement combined with an automatic BWT radiation frequency control increased the phase sensitivity of the interferometer to  $10^{-2}$  radn that permits to measure plasma electron densities in the range of  $n \cdot 2\alpha = 10^{10} - 10^{14} \text{ cm}^{-2}$ .

## RESULTS

Fig.3 presents the experimental curves of phase and modulus of microwave beam transmittivity for one of the plasma regimes. Phase shift in plasma is determined as a difference between curves 2 and 1 (curves 1 correspond to the quartz tube without plasma). The plasma transmittivity is obtained by division of respective amplitude functions. Characteristic diameter of plasma discharge  $2\alpha$  was taken as a distance between the phase profile points with  $\Delta\varphi = \Delta\varphi(0)/2$ , where  $\Delta\varphi(0)$  is a phase shift at the plasma diameter. The pressure dependences of  $n$  and  $v_{eff}$  on plasma axis under constant specific energy  $q_v$  are shown in Fig.4.

At the constant specific energy  $q_v = 3,5 \text{ J/cm}^3$  plasma diameter substantially depends on gas pressure. At pressures  $p = 50 + 100 \text{ torr}$  the discharge has the diffused features ( $2\alpha \approx 13 + 14 \text{ mm}$ ). For  $p \geq 150 \text{ torr}$  plasma diameter sharply diminishes to  $5 + 6 \text{ mm}$ . This transition is accompanied by substantial increase of  $n$  (see Fig.4) and slower change of  $v_{eff}$ , that causes the growth of plasma conductivity. In the whole range of the investigated plasma parameters  $v_{eff}$  was greater than  $\Omega$  (magnetron frequency  $\Omega = 1,5 \cdot 10^{10} \text{ s}^{-1}$ ). Thus, the real part  $G_r$  of plasma complex conductivity

$$G = G_r + iG_i = \frac{ne^2}{m} \frac{v_{eff}}{\Omega^2 + v_{eff}^2} - i \frac{ne^2}{m} \frac{\Omega}{\Omega^2 + v_{eff}^2}$$

is greater than  $|G_i|$  and UHF energy absorption is due to active losses; the specific power equals to

$$W_i = G_r E_{eff}^2 = \frac{ne^2}{m} \frac{E_{eff}}{\nu_{eff}}. \quad (5)$$

Eqn.(5) provides determination of  $E_{eff}$  by the measured values of  $n$ ,  $\nu_{eff}$  and  $W_i$ ; the translational temperature of plasma discharge /3/ at given gas pressure was used to evaluate parameter  $E_{eff}/N$ .

At the specific energy  $q_v = 3,5 \text{ J/cm}^3$  the maximum energetic efficiency of  $\text{CO}_2$  decomposition ( $\eta \approx 80\%$ ) was obtained for  $p=120 \text{ torr}$  /3/ when  $E_{eff}/N = (2 + 3) \cdot 10^{-16} \text{ V} \cdot \text{cm}^2$  and  $n/N = (4 + 5) \cdot 10^{-6}$ . Under this conditions the main part of UHF power is spent on the excitation of antisymmetric vibrational mode of  $\text{CO}_2$  molecule /4/. Degree of ionization  $n/N = (4-5) \cdot 10^{-6}$  exceeds the theoretical minimum value  $n/N = 3 \cdot 10^{-6}$ , which corresponds to effective dissociation of  $\text{CO}_2$  via the vibrational excitation of molecules in the ground electron state /2/.

Thus, the measurements of plasma electron component parameters confirms the essential participation of vibrational excitation in the process of  $\text{CO}_2$  dissociation at the plasma regimes being investigated.

#### REFERENCES

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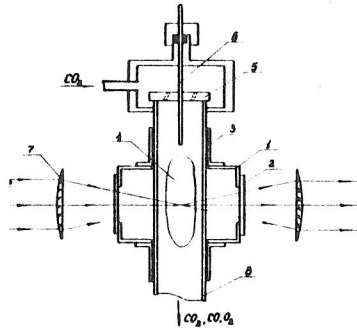


Fig. 1 Plasmachemical reactor

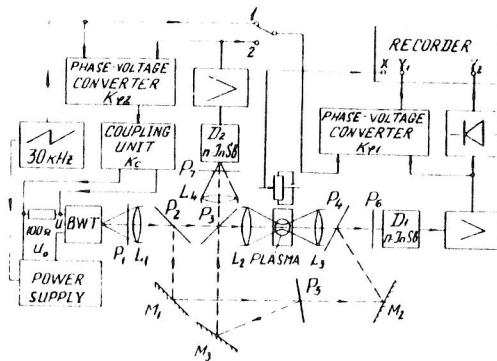


Fig. 2 Scheme of interferometer.  $P_1$ - $P_7$  - one-dimensional grids (period 0,06 mm);  $L_1$ - $L_4$  - polyethylen lenses (diameter 54 mm, focal distance 140 mm);  $M_1$ - $M_3$  mirrors. Dashed lines-microwave radiation, solid lines - electrical circuits.

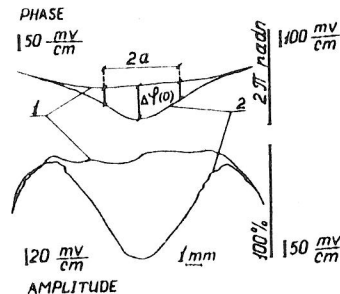


Fig. 3. Experimental phase and modulus of transmission coefficient ( $p=150$  torr;  $q_v = 3,5$  J/cm<sup>2</sup>).

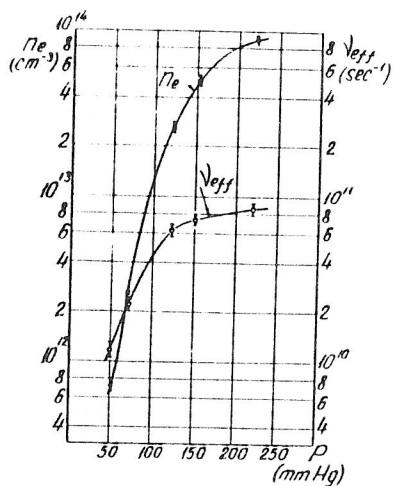


Fig.4. Dependence of electron density ( $n$ ) and effective collision frequency ( $\nu_{eff}$ ) at the discharge axis on the pressure for constant  $q_v$ .